

# Optimization of powertrain of jib crane

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**Abstract** - To optimize the power transmission system for the slewing motion of a jib crane, including the gear, pinion, and geared motor, for all coordinates of the lifted load from the pillar center, the entire system needs to be carefully analyzed and refined. This involves selecting suitable gears, pinions, and a geared motor that can handle the load requirements and desired range of motion. The design should consider factors like torque, speed, efficiency, and safety. It is necessary to perform a comprehensive analysis and implement topology optimization techniques for the ring gear.

A boom of jib crane experiences a maximum load when the load is acting at the maximum span / Outreach of the crane from pillar centre. Hence the motor and gearbox for jib crane is designed according to the beam under maximum possible loading condition. However, the actual movement of load happens at various coordinates from centre of the pillar which is different from the maximum value. The aim of this project is optimization of complete power transmission for slewing motion of jib crane which includes the gear, Pinion, and Geared Motor for all coordinates of the lifted load from pillar centre.

**Key words:** jib crane , ring gear , Optimization.

## 1. INTRODUCTION

### 1.1 Jib crane

A jib crane is a crane which has cantilevered beam which consists of a hoisting mechanism and trolley. It is attached to a building column or either to a cantilever beam from an independent column mounted on the floor.

It is a type of crane which is most often fixed near certain workstation so that the load movement in the specific zone is catered to.

Jib cranes can be wall or Pillar (Tower) mounted. All jib cranes swivel and can lift and carry loads. Most jib cranes also traverse, in that the job crane can traverse the beam from the center of the circle to the edge of the circle created by the jib as the jib crane rotates.

The jib arm is usually mounted on a vertical pole or column (tower) and sometimes on an inclined jib. In other outriggerless structures such as derricks, the load is

suspended directly from the outriggers (usually often called jibs).

Crane companies in India sell its global products in jib crane segment, and they want to localise the design as well as manufacturing and supply chain so as to make the design suitable to India market. It also will then cater to Indian standards, and the direct and indirect costs will also come down. This is the basic concept behind starting with this project.

At present, while standardizing the gearbox, many factors like country standards, material available for fabrication & manufacturing, specifications of geared motor from the motor catalogue, material standards, lifting load variations and its frequency of operations are to be considered which cannot be followed directly from the global product for the Indian standards.

### 1.2 Elements of jib crane

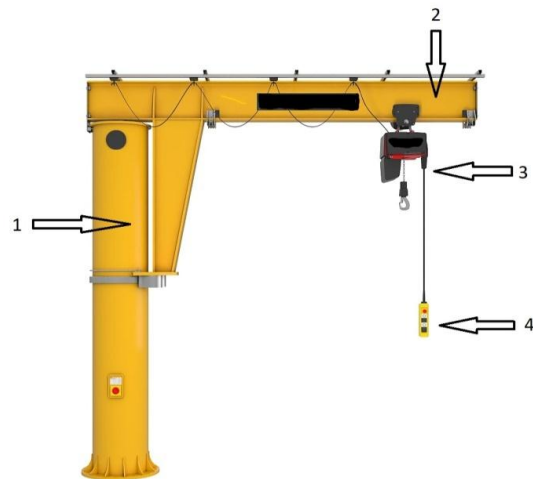


Fig -1: Elements of jib crane

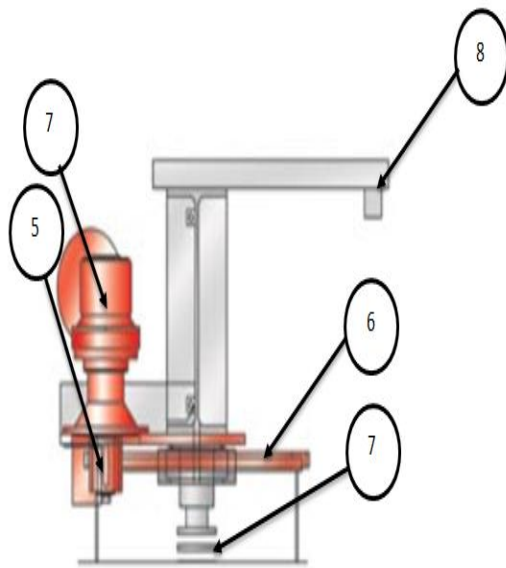


Fig -1: Elements of gearbox

Table -1 Terminologies and abbreviations

Term	abbreviation	Hoist dimensions	abbreviation
Safe working load(SWL)	GL	Length-	LH
Out reach	L	Width-	BH
Hook approach _Inner	Lan 1	Jib Slewing rpm-	n
Hook approach _Outer	Lan 2	Safe Working Load (SWL) dimensions-	
Beam Overhang on rear side	L1	Length	L swl
Position of Arm	L2	Width	B swl
Arm Height	H1	Height	H swl
Diameter of Pillar	Ds	Height	H swl
Hook path above floor	H		
Hoist Head Room	C		
Floor to bottom of beam	Ho = H+C		
Hoist weight	Gh		

- 1) Pillar: Vertical Member of jib crane which support the complete Jib
- 2) Jib Arm: Horizontal member on which the Hoist travel. Hoist: Lifting machine which lifts the load. It has 2 motions a ) Lifting/ Lowering , b ) Travelling.
- 3) Pendant: It is one of the devices which gives control signals to the jib crane, other devices are Radio remote, Joystick etc...
- 4) Pinion: It engages with the Gear ring which revolves and rotates giving slewing motion to the Jib arm.
- 5) Gear Ring: The Gear is fixed to pillar and pinion revolve around the gear to give slewing motion to jib arm.
- 6) Slip Ring assembly: Slip Ring assembly is needed to deliver the power supply to the other machineries as the jib cranes rotates 360 degrees.
- 7 ) Festoon System: System delivering power to the hoist based C track and power supply trolleys.

1.2 Calculations

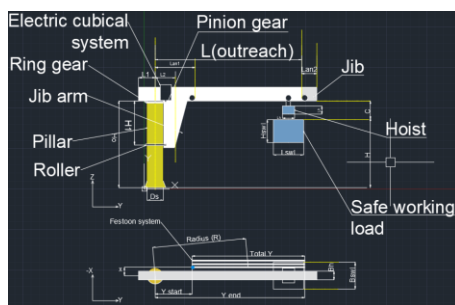


Fig -2: front view and top view of jib crane

Total cycles- 25000

Jib rpm = 1

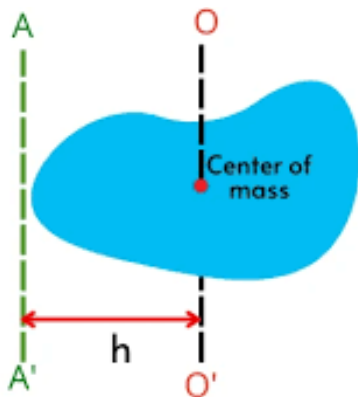
Total duration = 25000 min

Total duration in h = 4166.67

2. Types of loads acting on jib crane-

- 1.Uniformly Distributed Load (UDL) (Festoon system)
- 2.Point Load
3. Live Load
- 4.Fixed Crane Load

2.1. Calculations for UDL (festoon system) -



O-O' = Axis passing through the center of mass  
 A-A' = Axis parallel to the axis O-O'  
 h = Perpendicular distance between O-O' and A-A'

Fig -3: MOI explanation

$$UDL = l \text{ kg/m}$$

$$\text{length of UDL} = a \text{ m}$$

$$\text{Width of UDL} = b \text{ m}$$

$$\therefore \text{Point load} = m = la \times \text{mass factor (kg)}$$

$$\text{Horizontal distance of CG of udl} = x$$

$$\text{Vertical distance of CG of udl} = y$$

$$\text{Distance of CG of UDL from pillar} = r = \sqrt{x^2 + y^2}$$

$$I_c = \text{MMI of UDL around CG} = \frac{(a^2 + b^2)m}{12}$$

$$I_o = I_c + mh^2$$

$$\text{Moment about pillar} = UDL \text{ force} \times x$$

2.2 Calculations for point load & fixed crane loads-

$$\text{Load} = m \text{ kg}$$

$$\therefore \text{Total load} = M = m * \text{Mass factor}$$

$$\text{Length of load} = a \text{ m}$$

$$\text{Width of load} = b \text{ m}$$

$$\text{Distance of x coordinate} = x$$

$$\text{Distance of y coordinate} = y$$

$$\therefore \text{Radius} = r = \sqrt{x^2 + y^2}$$

$$\therefore I_c = \frac{M \times (a^2 + b^2)}{12}$$

$$I_o = I_c + Mr^2$$

$$\text{Moment around pillar} = M \times y$$

2.3 Calculations for live load

Iteration 1-

$$\text{Total load} = M = SWL + \text{Hoist load}$$

$$\text{Radius} = R1 \text{ m}$$

$$I_{c \text{ swl}} = \frac{SWL(L_{swl}^2 + W_{swl}^2)}{12} \text{ kgm}^2$$

$$I_{c \text{ hoist}} = \frac{\text{Hoist load}(L_{hoist}^2 + W_{hoist}^2)}{12} \text{ kgm}^2$$

$$\therefore I_{o1} = I_{c \text{ swl}} + I_{c \text{ hoist}} + MR1^2$$

$$\therefore \text{Moment around pillar} = M1 = M \times R1 \text{ Nm}$$

Iteration 2-

$$R2 = R1 + \frac{L - R1}{4}$$

$$\therefore \text{Corresponding } I_{o2} = I_{c \text{ swl}} + I_{c \text{ hoist}} + MR2^2$$

$$\therefore \text{Moment around pillar} = M2 = M \times R2 \text{ Nm}$$

Iteration 3-

$$R3 = R2 + \frac{L - R2}{4}$$

$$\therefore \text{Corresponding } I_{o3} = I_{c \text{ swl}} + I_{c \text{ hoist}} + MR3^2$$

$$\therefore \text{Moment around pillar} = M3 = M \times R3 \text{ Nm}$$

And so on for further iterations

$$\therefore \text{Max. } I_o = I_o \text{ corresponding to max. radius kgm}^2$$

$$\therefore \text{RMS } I_o = \sqrt{\frac{I_{o1}^2 + I_{o2}^2 + I_{o3}^2 + \dots}{\text{no. of iterations}}} \text{ kgm}^2$$

Max. Moment

$$= \text{moment corresponding to max. radius Nm}$$

$$\therefore \text{RMS moment} = \sqrt{\frac{M1 + M2 + M3 + \dots}{\text{no. of iterations}}} \text{ Nm}$$

∴ Total MMI =

$$Io(\text{point load}) + Io(\text{fixed crane load}) + Io(\text{Live load}) + Io(\text{UDL}) \text{ kgm}^2$$

∴ Total axial force =

$$9.81(\text{UDL} + \text{point load} + \text{fixed crane load} + \text{live load})N$$

∴ Total Moment around pillar =

$$\sum \text{UDL} + \text{point load} + \text{fixed crane load} + \text{live load} \text{ Nm}$$

Arm height = H1 m

$$\therefore \text{Radial force} = \frac{\text{Total moment around pillar}}{\text{arm height}} N$$

Total acceleration torque =

$$\text{Total MMI} \times \text{angular acceleration}$$

Frictional force =

$$\frac{(\text{travel resistance of selected roller} \times (\text{radial force}))}{9.81} N$$

∴ Frictional torque =

$$\text{Frictional force} \times (\text{diameter of pillar}) Nm$$

Axial torque =

$$\frac{\text{Total axial force} \times \mu(\text{roller bearing}) \times (\text{inner diameter} + \text{outer diameter})}{2} Nm$$

∴ Total torque = Frictional torque + axial torque + acceleration torque Nm

Set motor rpm = Motor rpm × set point

$$\text{Total ratio} = \frac{\text{set motor rpm}}{\text{jib rpm}}$$

$$\therefore \text{torque referred to motor} = \frac{\text{total torque}}{\text{total ratio}} Nm$$

∴ power =

$$\text{torque referred to motor} \times \frac{\text{set motor rpm}}{60} W$$

Total efficiency =

$$\text{efficiency of system} \times \text{Efficiency Gear} \times \text{Efficiency Gearbox}$$

$$\therefore \text{Final motor power} = \frac{\text{Power}}{\text{total efficiency}} kW$$

### Optimization of power of motor

Table -2: Input constants -

Hook approach _Inner	Lan 1	750 mm
Hook approach _Outer	Lan 2	250 mm
Beam Overhang on rear side	L1	350 mm
Position of Arm	L2	600 mm
Arm Height	H1	1030 mm
Diameter of Pillar	Ds	670 mm
Hook path above floor	H	3000 mm
Hoist Head Room	C	300 mm
Floor to bottom of beam	Ho=H+C	3300 mm
Hoist weight	Gh	600 kg
Hoist dimensions-		
Length	LH	350 mm
Width-	BH	350 mm
Jib Slewing rpm-		1
Safe Working Load (SWL) dimensions-		
Length	L swl	1581 mm
Width	B swl	255 mm
Height	H swl	1581 mm

## 2. HEADING 2

Using maximum method-

### UDL (Uniformly Distributed Load) -

#### Festoon 1

UDL=5 kg/m

Width of UDL= 50 mm= 0.05 m= b

UDL start(Y start)= 200 mm

UDL end(Y end)= 6000 mm

Total Y= Yend – Ystart

$$= 6000-200$$

$$= 5800 \text{ mm}$$

$$= 5.8 \text{ m}$$

$$= a$$

$$\text{CG of Y} = \text{Ystart} + \frac{(\text{total Y})}{2}$$

$$= 3100 \text{ mm}$$

$$= \text{Y coordinate}$$

Distance of festoon 1 from jib arm

$$= 500 \text{ mm}$$

$$= \text{X coordinate}$$

$$(x,y)=(500,3100)$$

$$\therefore \text{Radius} = \sqrt{500^2 + 3100^2}$$

$$= 3140.1 \text{ mm}$$

$$R = 3.14 \text{ m}$$

$$\therefore \text{Total load} = \text{length of UDL} \times \text{UDL}$$

$$= \text{total Y} \times \text{UDL}$$

$$= 5.8 \times 5$$

$$= 29 \text{ kg}$$

$$\text{Mass factor (M.F.)} = 1.1$$

$$\therefore \text{Load with M.F.} = \text{total load} \times \text{MF}$$

$$\therefore M = 31.9 \text{ kg}$$

$$\therefore MR^2 = 31.9 \times 3.14^2$$

$$= 314.5 \text{ kgm}^2$$

$$\therefore \text{Self } MR^2 = I_c = \text{MMI about CG of festoon1}$$

$$= \frac{M(a^2 + b^2)}{12} = \frac{31.9(5.8^2 + 0.05^2)}{12}$$

$$I_c = 89.4 \text{ kgm}^2$$

$$\therefore \text{MMI about pillar} = I_o = I_c + MR^2$$

$$= 89.4 + 314.5$$

$$= 404 \text{ kgm}^2$$

$$\therefore \text{Moment about Pillar} =$$

$$\frac{M \times 9.81 \times \text{CG Y}}{1000} = \frac{31.9 \times 9.81 \times 3100}{1000}$$

$$= 970.1 \text{ Nm}$$

### Festoon 2-

For festoon 2,

Distance of festoon 1 from jib arm

$$= 750 \text{ mm}$$

= X coordinate

$$(x,y) = (750,3100)$$

$$\therefore \text{Radius} = 3189.4 \text{ mm}$$

$$M = 31.9 \text{ kg}$$

$$\therefore MR^2 = 31.9 \times 3.189^2$$

$$= 324.5 \text{ kgm}^2$$

$$\therefore \text{Self } MR^2 = I_c = \text{MMI about CG of festoon2}$$

$$= \frac{M(a^2 + b^2)}{12} = \frac{31.9(5.8^2 + 0.05^2)}{12}$$

$$= 89.4 \text{ kgm}^2$$

$$\therefore \text{MMI about pillar} = I_o = I_c + MR^2 = 89.4 + 324.5^2$$

$$= 413.9 \text{ kgm}^2$$

$$\therefore \text{Moment about Pillar} = \frac{M \times 9.81 \times \text{CG Y}}{1000} = \frac{31.9 \times 9.81 \times 3100}{1000}$$

$$= 970.1 \text{ Nm}$$

$$\sum MR^2 = 639 \text{ kgm}^2$$

$$\sum I_c = 178.9 \text{ kgm}^2$$

$$\sum I_o = 817.9 \text{ kgm}^2$$

$$\sum \text{Moment} = 1940.2 \text{ Nm}$$

Table -3 Point loads

Name of Load	Point load1	Point load2	Point load 3	
Discription	Electric cubical	Canopy	Drives	
Load 'L' (kg)	500	0	57	
Length 'a'(mm)	500	1000	250	
Width 'b'(mm)	250	500	250	
X coordinate (mm)	750	0	500	
Y coordinate (mm)	500	0	0	
Radius 'R' (mm)	901.4	0	500	
$(\sqrt{x^2 + y^2})$				
Mass factor (MF)	1	1	1	
Load with M.F.'M'(kg)	500	0	57	$\Sigma \text{load} = 557 \text{ kg}$
(MF × L)				

$MR^2$ $M\left(\frac{R}{1000}\right)^2 \text{ kg m}^2$	406.3	0	14.3	$\sum MR^2 = 420.5 \text{ kgm}^2$
Self MR <sup>2</sup> 'Ic' $\frac{M}{12} \times \left(\frac{a^2}{1000} + \frac{b^2}{1000}\right) \text{ kgm}^2$	13	0	0.6	$\sum Ic = 13.6 \text{ kgm}^2$
Total Mr <sup>2</sup> 'Io' $(Ic + MR^2) \text{ kgm}^2$	419.3	0	14.8	$\sum Io = 434.1 \text{ kgm}^2$
Moment (Nm) $\frac{M \times 9.81 \times Y \text{ Coordinate}}{1000}$	2452.5	0	0	$\sum \text{Moment} = 2452.5 \text{ Nm}$

Table -4 Fixed crane load

Name of Loads		Point load 1	Point load 2	
Discriptions		Jib	Arm	
Load'L'(kg)		785	150	
Length(a)	L+Lan2+L1	6600	400	
Width(b)		250	250	
X coordinate		0	0	
Y coordinate		(L+Lan2+L1)/2-L1 = 2950	L2= 600	
Radius (mm)	$M = (\sqrt{x^2 + y^2})$	2950	600	
Mass Factor 'MF'		1.3	1.3	
Load with MF 'M'(kg)	$(MF \times L)$	1020.5	195	
MR <sup>2</sup>	$M\left(\frac{R}{1000}\right)^2$	8880.9	70.2	$\sum MR^2 = 8951.1 \text{ kgm}^2$
Self MR <sup>2</sup> (kgm <sup>2</sup> )	$Ic = \frac{M}{12} \times \left(\frac{a^2}{1000} + \frac{b^2}{1000}\right)$	3709.7	3.6	$\sum Ic = 3713.3 \text{ kgm}^2$
Total Mr <sup>2</sup> (kgm <sup>2</sup> )	$Io = (Ic + MR^2)$	12590.6	73.8	$\sum Io = 12664.4 \text{ kgm}^2$
Moment (Nm)	$\frac{M \times 9.81 \times Y \text{ Coordinate}}{1000}$	29532.75	1147.7	$\sum \text{Moment} = 30680.52 \text{ Nm}$

❖ Live load-

**Iteration 1**

➤ Max. outreach= 6000 mm

➤ Max. Load = 5000 kg

Hoist load = 600 kg

∴ Total load= 5600 kg

**Iteration1-**

SWL=5000 kg

Hoist Load= 6000 kg

Total Load= SWL + Hoist load

$$M = 5600 \text{ kg}$$

Distance of SWL & Hoist load from pillar=

Max. of outreach/2 & position of arm

$$= \max\left(\frac{L}{2} \text{ \& } L2\right)$$

$$= \max\left(\frac{6000}{2} \text{ \& } L2\right)$$

$$= 3000 \text{ mm}$$

$$= R1$$

$$\begin{aligned} \therefore MR^2 &= M \times \frac{R^2}{1000} \\ &= 5600 \times \frac{3000^2}{1000} \\ &= 50400 \text{ kgm}^2 \end{aligned}$$

$$\begin{aligned} \therefore \text{Self MR}^2 \text{ of SWL} &= Ic1 = \frac{SWL(L_{swl}^2 + B_{swl}^2)}{12} \\ &= \frac{5000\left(\frac{1581^2}{1000} + \frac{B_{swl}^2}{1000}\right)}{12} \\ &= 1068.58 \text{ kgm}^2 \end{aligned}$$

$$\begin{aligned} \therefore \text{Self MR}^2 \text{ of hoist} &= Lc2 = \frac{\text{Hoist load} (L_{swl}^2 + B_{swl}^2)}{12} \\ &= \frac{600\left(\frac{350^2}{1000} + \frac{350^2}{1000}\right)}{12} \\ &= 12.25 \text{ kgm}^2 \end{aligned}$$

$$\begin{aligned} \therefore \text{Total MR}^2 \text{ around the pillar} &= I_o \\ &= MR^2 + Ic1 + Ic2 \\ &= 50400 + 1068.58 + 12.25 \\ &= 51480.8 \text{ kgm}^2 \end{aligned}$$

$$\begin{aligned} \text{Moment around jib arm} &= \frac{\text{total load} \times 9.81 \times R}{1000} \\ &= \frac{5600 \times 9.81 \times 3000}{1000} \\ &= 164808 \text{ Nm} \end{aligned}$$

**Iteration 2-**

Self MR<sup>2</sup> of SWL= Ic1

$$= 1068.58 \text{ kgm}^2$$

$$\begin{aligned} \therefore \text{Self MR}^2 \text{ of hoist} &= Lc2 \\ &= 12.25 \text{ kgm}^2 \end{aligned}$$

$$\begin{aligned} R2 &= R1 + \frac{L-R1}{4} = 3000 + \frac{6000-3000}{4} \\ &= 3750 \text{ mm} \\ &= 3.75 \text{ m} \end{aligned}$$

$$\begin{aligned} \therefore MR^2 &= 5600 \times 3.75^2 \\ &= 78750 \text{ kgm}^2 \end{aligned}$$

$$\begin{aligned} \therefore \text{Total MR}^2 &= MR^2 + Ic1 + Ic2 \\ &= 78750 + 1068.58 + 12.25 \\ &= 79830.8 \text{ kgm}^2 \end{aligned}$$

$$\begin{aligned} \therefore \text{Moment} &= \text{total load} \times 9.81 \times R2 \\ &= 5600 \times 9.81 \times 3.75 \\ &= 206010 \text{ Nm} \end{aligned}$$

**Iteration3-**

$$\begin{aligned} \text{Self MR}^2 \text{ of SWL} &= Ic1 \\ &= 1068.58 \text{ kgm}^2 \end{aligned}$$

$$\begin{aligned} \therefore \text{Self MR}^2 \text{ of hoist} &= Lc2 \\ &= 12.25 \text{ kgm}^2 \end{aligned}$$

$$\begin{aligned} R3 &= R2 + \frac{L-R2}{4} = 3750 + \frac{6000-3750}{4} \\ &= 4500 \text{ mm} \\ &= 4.5 \text{ m} \end{aligned}$$

$$\begin{aligned} \therefore MR^2 &= 5600 \times 4.5^2 \\ &= 113400 \text{ kgm}^2 \end{aligned}$$

$$\begin{aligned} \therefore \text{Total MR}^2 &= MR^2 + Ic1 + Ic2 \\ &= 113400 + 1068.58 + 12.25 \\ &= 114480.8 \text{ kgm}^2 \end{aligned}$$

$$\begin{aligned} \therefore \text{Moment} &= \text{total load} \times 9.81 \times R2 \\ &= 5600 \times 9.81 \times 4.75 \\ &= 247212 \text{ Nm} \end{aligned}$$

**Iteration 4-**

$$\begin{aligned} \text{Self MR}^2 \text{ of SWL} &= Ic1 \\ &= 1068.58 \text{ kgm}^2 \end{aligned}$$

$$\therefore \text{Self MR}^2 \text{ of hoist} = Lc2$$

$$= 12.25 \text{ kgm}^2$$

$$R4 = R3 + \frac{L-R3}{4} = 4500 + \frac{6000-4500}{4}$$

$$= 5250 \text{ mm}$$

$$= 5.25 \text{ m}$$

$$\therefore MR^2 = 5600 \times 5.25^2$$

$$= 154350 \text{ kgm}^2$$

$$\therefore \text{Total } MR^2 = MR^2 + Ic1 + Ic2$$

$$= 154350 + 1068.58 + 12.25$$

$$= 155430 \text{ kgm}^2$$

$$\therefore \text{Moment} =$$

$$\text{total load} \times 9.81 \times R4 = 5600 \times 9.81 \times 5.25$$

$$= 288414 \text{ Nm}$$

**Iteration 5-**

$$\text{Self } MR^2 \text{ of SWL} = Ic1$$

$$= 1068.58 \text{ kgm}^2$$

$$\therefore \text{Self } MR^2 \text{ of hoist} = Lc2$$

$$= 12.25 \text{ kgm}^2$$

$$R5 = R4 + \frac{(L-R4)}{4} = 5250 + \frac{6000-5250}{4}$$

$$= 6000 \text{ mm}$$

$$= 6 \text{ m}$$

$$\therefore MR^2 = 5600 \times 6^2$$

$$= 201600 \text{ kgm}^2$$

$$\therefore \text{Total } MR^2 = MR^2 + Ic1 + Ic2$$

$$= 201600 + 1068.58 + 12.25$$

$$= 202680 \text{ kgm}^2$$

$$\therefore \text{Moment}$$

$$= \text{total load} \times 9.81 \times R5 = 5600 \times 9.81 \times 6$$

$$= 329616 \text{ Nm}$$

**Table -5** MMI and moment using maximum and RMS method

	MMI around the pillar of total load <i>kgm<sup>2</sup></i>	Square	Moment around the pillar (Nm)	Square
Iteration1	51480.800000	2650275600.08476	164808.00000000	27161676864
Iteration2	79830.8	6372961019.33476	206010	42440120100
Iteration3	114480.8	13105859865.08480	247212	61113772944
Iteration4	155430.8	24158742137.33480	288414	83182635396
Iteration5	202680.8	41079517836.08480	329616	108646707456
	<b>Max. MMI = 202680.8 <i>kgm<sup>2</sup></i></b>	<b>RMS MMI = 132187.3 <i>kgm<sup>2</sup></i></b>	<b>Max. Moment = 329616 Nm</b>	<b>RMS Moment= 253986 Nm</b>



Similarly we can find Max. and RMS Io and MMI & compare toghther

**Table - 6** RMS power calculated using different iterations

Safe Working Load(SWL)(kg)	Outreach(m)	Hoist load(kg)	Max. MMI $kgm^2$	RMS MMI $kgm^2$	Max. moment Nm	RMS Moment Nm
5000	6	600	202680	132187	329616	253986
1000	6	600	57826	37692	94176	75267
2000	6	600	94039	61315	153036	117922
3000	6	600	13053.4	84939	211896	163276

**Table - 7** Power calculated using maximum method

Load (kg)	2	2.5	3	3.5	4	4.5	5	5.5	6
500	0.029	0.037	0.046	0.056	0.066	0.078	0.090	0.103	0.116
1000	0.037	0.048	0.059	0.072	0.086	0.101	0.118	0.135	0.153
1500	0.045	0.058	0.073	0.089	0.106	0.125	0.146	0.167	0.19
2000	0.053	0.069	0.086	0.106	0.127	0.149	0.174	0.199	0.227
2500	0.061	0.079	0.1	0.122	0.147	0.173	0.201	0.232	0.264
3000	0.069	0.090	0.113	0.139	0.167	0.197	0.229	0.264	0.301
3500	0.076	0.1	0.127	0.156	0.187	0.221	0.257	0.296	0.338
4000	0.084	0.111	0.140	0.172	0.207	0.245	0.285	0.329	0.375
4500	0.092	0.121	0.154	0.189	0.227	0.269	0.313	0.361	0.411
5000	0.1	0.132	0.167	0.205	0.247	0.293	0.341	0.3953	<b>0.4478</b>

**Table - 8** Comparison with power calculated using RMS method

Outreach (m)									
Load (kg)	2	2.5	3	3.5	4	4.5	5	5.5	6
500	0.025	0.031	0.038	0.046	0.054	0.063	0.072	0.082	0.093
1000	0.030	0.039	0.048	0.058	0.068	0.080	0.092	0.105	0.119
1500	0.036	0.046	0.058	0.07	0.083	0.097	0.112	0.128	0.145
2000	0.042	0.054	0.067	0.082	0.097	0.114	0.032	0.150	0.171
2500	0.048	0.062	0.077	0.094	0.112	0.131	0.151	0.173	0.197
3000	0.054	0.07	0.087	0.106	0.126	0.148	0.171	0.196	0.223
3500	0.06	0.077	0.097	0.118	0.14	0.165	0.191	0.219	0.249
4000	0.065	0.085	0.106	0.13	0.155	0.182	0.211	0.242	0.0275
4500	0.071	0.093	0.116	0.733	0.169	0.199	0.231	0.265	0.301
5000	0.077	0.1	0.126	0.154	0.184	0.216	0.251	0.288	<b>0.32</b>

% Decrease in power for maximum Load & outreach conditions-

% Decrease in power (kW)=

Conclusion- For each iteration of load vs outreach data, Root Mean Square method power is coming to be minimum for corresponding iteration for maximum method.

Thus, power required to rotate the jib is reduced by 28.41%

**Validation using Tooth root stress -**

Known data -

Module = m= 6

Pressure angle = 20 deg

Helix angle = 0 deg

Pinion gear = gear 1

Ring gear = gear 2

$$\therefore PCD1 = \frac{Z1+m}{\cos(\text{Helix angle})} mm$$

$$V1 = \text{pitch line velocity} = \frac{\pi \times PCD1 \times N1}{60 \times 1000} m/s$$

$$\text{Tangential force transmitted} = Wt1 = \frac{\text{power transmitted by motor} \times 1000}{\text{Pitch line velocity} (V1)}$$

$$\text{Velocity factor} = \frac{6}{6+V1}$$

$$Kv1 = \frac{6}{6+0.023}$$

$$\text{Permissible stress} = \sigma p1 = \frac{Wt1}{Kv \times m \times y \times Fw1}$$

$$BHN = \frac{\text{Sut of pinion gear material}}{3} Mpa$$

Infinite life strength for tooth root stress=  $Sut \times 0.3$

$$\therefore Syt = \text{Infinite life strength} \times \text{Stress concentration factor}$$

$$\text{Factor of safety} = \frac{Syt}{\sigma p1}$$

$$\therefore \text{Balanced FOS} = \frac{FOS}{\text{requird min FOS}}$$

$$\therefore \text{Transmittable power} = \text{motor power} \times \text{balanced FOS}$$

$$\therefore \text{Calculation accuracy} = \frac{\text{power in validation software}}{\text{transmittable power}} kW$$

**Validation using flank strength -**

Contact strength =  $Sc = 2.76 BHN1 - 70$

CL =Life Factor

CH= Hardness factor

CT =Temperature Factor

CR = Reliability Factor

$$\text{AGMA stress ratio} = \frac{CL \times CH \times Sc}{CT \times CR}$$

$$\therefore \text{Dynamic factor} = Kv1 = \sqrt{\frac{50}{50+(200 \times \text{pitch line velocity})}}$$

$$\therefore \text{Safety factor} = \text{Overload correction factor} \times \text{Load distributionn factor}$$

$$\therefore \text{Geometrical factor} = \frac{\cos(\text{pressure angle}) \times \sin(\text{pressure angle})}{2} \times \frac{m}{m+1}$$

$$\therefore \text{Weight force transmitted} = Wtf = \frac{Sc^2 \times Kv1 \times FW2 \times PCD1 \times \text{geometrical factor}}{\text{Elastic coefficient}^2} N$$

$$\therefore \text{Safety factor} = \frac{Wtf}{\text{Tangential force transmitted}}$$

$$\therefore \text{Transmittable power} = \text{Safety factor} \times \text{motor power}$$

$$\therefore \text{Calculation accuracy} = \frac{\text{power in validation software}}{\text{transmittable power}} kW$$

### 3. CONCLUSIONS

The accuracy coming from method of tooth root stress is around 85% for gear 1 (pinion) while for some gear of is of 115%

While using flank strength method the accuracy for gear 1 is coming to be 81% and for gear 2 it is around 150%.

In general validation unsung tooth root stress is considerable and can be used for optimization of ring gear.

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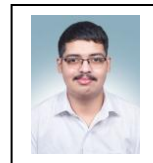
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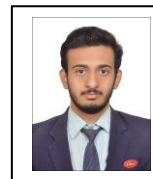
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