# Seismic Behavior of Symmetric and Asymmetric Building for Static and Dynamic Analysis using STAAD.Pro 

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#### Abstract

The main objective of this research is the comparative study on the seismic behavior of two sets of commercial office buildings ( $G+9$ ) using both static and dynamic response analysis method in STAAD.Pro. SET-A is regular and symmetric building while SET-B is irregular and asymmetric building. Revit Architecture is used for 3D modelling of buildings and STAAD. Pro is used for analysis of 3D framed structure. This project is done to analyze the two set of multi-story buildings for response spectrum and finding out the base shear, horizontal forces (i.e. lateral load on structure due to earthquake), mode shape of buildings due to response spectrum, displacement of joints, maximum shear forces, bending moments, axial forces on beams \& columns, maximum absolute stresses \& displacement in slabs and reinforcement details for the structural components of building (such as beams, columns and slabs) to develop the economic design.


Key Words: Base shear, displacement, dynamic loading, reinforcement, response spectrum, seismic, structure, STAAD.Pro.

## 1. INTRODUCTION

Structural analysis is the analysis of behavior of the structure subjected to self-weight of the structural members (such as beams, columns, slabs, ceilings), dead load (such as weight of furniture's, doors, windows, tiles), imposed load (such as load due to movement of people), dynamic load (due to wind, earthquake loads) etc..

Base shear $\left(V_{B}\right)$ is the maximum horizontal force on the base of the structure due to wind and seismic activity. To calculate base shear, dynamic analysis is done. In STAAD.Pro base shear is calculated using following formula:

$$
V_{B}=A \times B \times C \times D
$$

Here; A = Mass participation factor for that node,
$B=$ Total mass specified for that direction,
$\mathrm{C}=$ Spectral acceleration for that node $\left(\frac{5_{g}}{g}\right)$
$\mathrm{D}=$ Direction factor for particular load.
In STAAD.Pro there are two methods of dynamic analysis:
a) Response spectrum analysis, and
b) Time history analysis.

In this research two set of $(G+9)$ commercial office RCC buildings are designed and analyzed by using response spectrum analysis method in STAAD.Pro.

SET A: Regular and symmetrical ( $\mathrm{G}+9$ ) RCC building with 72x24m in plan. (Fig.-1)
SET B: Irregular and asymmetrical ( $\mathrm{G}+9$ ) RCC building with 69x36m in plan. (Fig. 4 )

### 1.1 Salient features of SET-A \& SET-B buildings:

Building type: Commercial office building
Type of construction: RCC framed structure
No. of stories: $10(G+9)$
No. of floors: 10 (+1 roof)
Thickness of floors: 0.150 m
Thickness of roof slab: 0.125 m
Floor to floor height: 3.5 m
Size of all beams $=400 \times 450 \mathrm{~mm}$
Size of columns (base to $5^{\text {th }}$ story) $=850 \times 850 \mathrm{~mm}$
Size of columns ( $6^{\text {th }}$ to $10^{\text {th }}$ story) $=600 \times 600 \mathrm{~mm}$
Type of walls: Brick wall
Thickness of walls: 0.230 m

## 2. RESEARCH METHODOLOGY

STAAD.Pro is a Structural Analysis and Design Program used to analyze input data, verify results and using these results steel or concrete designing is done. STAAD.Pro v8i is used in this project.

### 2.1 Formation of SET-A building:

Shape of building= Regular and symmetric
X-coordinate of structure $=0$ to 72 m
Y-coordinate of structure $=-3.5$ to 35 m
( -3.5 to 0 m for substructure \& 0 to 35 m for super structure)
Z-coordinate of structure $=0$ to 24 m
Total no. of nodes/ joints=1500
Total no. of beams (both horizontal \& vertical) $=3795$
Total no. of plates $=968$
Total no. of supports $=125$
Total degree of freedom $=8250$
Total primary load cases = 6
No. of mode requested = 15


Fig -1: Top view of SET-A symmetric building


Fig -2: Rendered view of SET-A building in STAAD.Pro


Fig -3: Expected 3D view of SET-A building in Revit

### 2.2 Formation of SET-B building:

Shape of building= Regular and symmetric
X-coordinate of structure $=0$ to 69 m
Y-coordinate of structure $=-3.5$ to 35 m
( -3.5 to 0 m for substructure \& 0 to 35 m for super structure)
Z-coordinate of structure $=0$ to 36 m
Total no. of nodes/ joints=1440
Total no. of beams (both horizontal \& vertical) $=3641$
Total no. of plates $=990$
Total no. of supports $=120$
Total degree of freedom $=7920$
Total primary load cases $=6$
No. of mode requested $=15$


Fig -4: Top view of SET-B asymmetric building


Fig -5: Rendered view of SET-B building in STAAD.Pro


Fig -6: Expected 3D view of SET-B building in Revit Architecture

## 3. LOAD CALCULATION

### 3.1 Dead load:

It is due to self-weight of all the members like beams, columns, slab loads and wall loads etc.
Beam \& column=width $x$ depth $x$ unit wt. of RCC ( $25 \mathrm{KN} / \mathrm{m}^{3}$ )
For all beams; $\quad 0.40 \times 0.45 \times 25=-4.5 \mathrm{KN} / \mathrm{m}^{2}$
For lower columns (from base to $5^{\text {th }}$ story);
$0.85 \times 0.85 \times 25=-18.07 \mathrm{KN} / \mathrm{m}^{2}$
For above columns (from $6^{\text {th }}$ story to $10^{\text {th }}$ story);
$0.6 \times 0.6 \times 25=-9 \mathrm{KN} / \mathrm{m}^{2}$
Wall load $=$ thickness $x$ height $x$ unit weight of brick mortar For main wall; $0.23 \times 3.5 \times 20=-16.1 \mathrm{KN} / \mathrm{m}$
(Beam, column and wall loads are applied as uniform force in STAAD.Pro and negative sign indicate downward direction of load)
Slab load = thickness of slab x unit wt. of RCC ( $25 \mathrm{KN} / \mathrm{m}^{3}$ )
For 0.15 m thick floor; $0.15 \times 25=-3.75 \mathrm{KN} / \mathrm{m}^{2}$ Load of floor finishing tiles $=-1 \mathrm{KN} / \mathrm{m}^{2}$
Total dead load of floor slab $=-4.75 \mathrm{KN} / \mathrm{m}^{2}$
For 0.125 m thick roof; $0.125 \times 25=-3.125 \mathrm{KN} / \mathrm{m}^{2}$

Load of roof finishing tiles $=-1 \mathrm{KN} / \mathrm{m}^{2}$
Total dead load of roof slab $=-4.125 \mathrm{KN} / \mathrm{m}^{2}$
(Slab load is applied as floor load in STAAD.Pro and negative sign indicate downward direction of load)

### 3.2 Live load:

It is assumed as floor load of,
$-4 \mathrm{KN} / \mathrm{m}^{2}$; (for commercial office buildings)
$-1.5 \mathrm{KN} / \mathrm{m}^{2}$; (at roof 14 m )

### 3.3 Seismic load:

Using the IS code 1893-2002/2005 of seismic load for both the set of the buildings;
Location of buildings = Dehradun, Uttarakhand, India
Seismic Zone- IV ( $\mathrm{Z}=0.24$ )
Response reduction factor (RF) = 5 (for Special Moment Resisting Frame)
Importance factor (I) = 1.5 (for commercial office buildings)
Soil site factor $=2$ (assumed medium soil condition)
Damping ratio $=5 \%($ from IS 1893(Part 1):2002)
Approximate fundamental natural period of vibration in seconds; $\left[\boldsymbol{T}=\frac{0.09 h}{\sqrt{d}}\right] \ldots . .$. Eq $^{\mathrm{n}}-1$
Here; $\mathrm{h}=$ Height of building in $\mathrm{m}=35 \mathrm{~m}$
$\mathrm{d}=$ Base dimension of building along the considered direction of the lateral force in meter.
For SET-A building:
Time period in $\mathrm{X}-\operatorname{dir}^{\mathrm{n}}=\frac{0.09 \times 35}{\sqrt{72}}=0.371 \mathrm{~s}$
Time period in Z- dirn $=\frac{0.09 \times 35}{\sqrt{24}}=0.643 \mathrm{~s}$
For SET-B building:
Time period in X- $\operatorname{dir}^{n}=\frac{0.09 \times 35}{\sqrt{69}}=0.379 \mathrm{~s}$
Time period in Z- dir $=\frac{0.09 \times 35}{\sqrt{36}}=0.525 \mathrm{~s}$
For medium soil sites

$$
\frac{S_{\mathrm{a}}}{g}= \begin{cases}1+15 T ; & 0.00 \leq T \leq 0.10 \\ 2.50 & 0.10 \leq T \leq 0.55 \\ 1.36 / T & 0.55 \leq T \leq 4.00\end{cases}
$$

Fig -7: Value of $\frac{s_{a}}{g}$ for different fundamental natural period

### 3.4 Temperature load:

For both the set of buildings:
The maximum temperature of Dehradun in summer $=38^{\circ} \mathrm{C}$
The minimum temperature of Dehradun in winter $=3^{\circ} \mathrm{C}$
Assume ambient temperature $=20^{\circ} \mathrm{C}$
Hence change in temperature for axial elongation of beams, columns \& slabs, $\Delta \mathrm{t}_{1}=38-20=18^{\circ} \mathrm{C}$

$$
\Delta t_{2}=3-20=-17^{\circ} \mathrm{C}
$$

### 3.5 Response Spectrum load:

For dynamic response spectrum analysis all the dead loads and live loads are applied in all the three directions i.e. global $\mathrm{x}, \mathrm{y} \& \mathrm{z}$ with positive values of loads.
Following are the parameters used for both the set of buildings;
Code used = IS 1893
Combination method=Complete Quadratic Combination (CQC)
(There are total 7 combination method in response spectrum analysis).
Subsoil class $=$ Medium soil (assumed)
Damping ratio = 5\%
Design horizontal seismic coefficient;

$$
\left[\mathrm{A}_{\mathrm{h}}=\frac{Z_{x I}}{2 \times R} \times \frac{S_{a}}{g}\right] \ldots . . \mathrm{Eq}^{\mathrm{n}-2}
$$

Here; Z = Zone factor $=0.24$
I = Importance factor = 1.5
$\mathrm{R}=$ Response reduction factor $=5$
$\frac{s_{a}}{g}=$ Average response acceleration coefficient (from fig. 7)
For SET-A building:
$\mathrm{A}_{\mathrm{h}}$ in $\mathrm{x}-\operatorname{dir}^{\mathrm{n}}=\frac{0.24 \times 1.5}{2 \times 5} \times 2.5=0.09$
$\mathrm{A}_{\mathrm{h}}$ in Z- $\operatorname{dir}^{\mathrm{n}}=\frac{0.24 \times 1.5}{2 \times 5} \times 2.115=0.076$
For SET-B building:
$\mathrm{A}_{\mathrm{h}}$ in X \& Z- dir${ }^{\mathrm{n}}=\frac{0.24 \times 1.5}{2 \times 5} \times 2.5=0.09$

### 3.6 Load Combination:

There are total 15 no. of load combinations are used in static analysis. Major combinations are;

1. $1.5[\mathrm{DL}+\mathrm{LL}]$
2. 1.2 [DL + LL]
3. $1.2[\mathrm{DL}+\mathrm{LL} \pm \mathrm{EQ}]$
4. $1.5[\mathrm{DL} \pm \mathrm{EQ}]$
5. $\quad 0.9 \mathrm{DL} \pm 1.5 \mathrm{EQ}$

Earthquake load is provided in both X (i.e. $\mathrm{EQ}-\mathrm{X}$ ) and Z (i.e. EQ-Z) directions.

## 4. RESULTS AND DISCUSSIONS

Following are the results obtained by analyzing the structure for the applied load cases:

### 4.1 Lateral load on buildings (using static analysis):

Lateral loads are live loads due to horizontal forces likeseismic load. From static analysis following lateral loads are obtained for both the set of buildings in $\mathrm{x} \& \mathrm{z}$ dir ${ }^{\mathrm{n}}$ (table-1).

Table -1: Lateral load at different levels of structures

| Height of floor in (m) | Lateral load in (KN) |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | For SET-A Building |  | For SET-B Building |  |
|  | In X - dir ${ }^{\text {n }}$ | In Z- dir ${ }^{\text {n }}$ | In X - dir ${ }^{\text {n }}$ | In Z - dir ${ }^{\text {n }}$ |
| 0.0 | 94.868 | 80.262 | 90.863 | 90.863 |
| 3.5 | 379.474 | 321.048 | 363.450 | 363.450 |
| 7.0 | 853.817 | 722.358 | 817.764 | 817.764 |
| 10.5 | 1517.896 | 1284.191 | 1453.800 | 1453.800 |
| 14.0 | 2371.711 | 2006.549 | 2271.566 | 2271.566 |
| 17.5 | 3102.779 | 2625.062 | 2971.599 | 2971.599 |
| 21.0 | 3797.910 | 3213.163 | 3637.097 | 3637.097 |
| 24.5 | 4960.538 | 4196.787 | 4750.494 | 4750.494 |
| 28.0 | 6278.178 | 5311.555 | 6012.339 | 6012.339 |


| 31.5 | 7750.834 | 6557.476 | 7422.637 | 7422.637 |
| :---: | :---: | :---: | :---: | :---: |
| 35.0 | 6504.240 | 5502.805 | 6327.296 | 6327.296 |
| Total | $\mathbf{3 7 6 1 2 . 2 4 4}$ | $\mathbf{3 1 8 2 1 . 2 4 8}$ | $\mathbf{3 6 1 1 8 . 8 9 6}$ | $\mathbf{3 6 1 1 8 . 8 9 6}$ |

From IS 1893(Part 1):2002- base shear calculated using fundamental period T; $\mathbf{V}_{\mathbf{b}}=\mathbf{A}_{\mathbf{h}} \mathbf{x} \mathbf{W}$
Here; $\mathrm{A}_{\mathrm{h}}=$ Horizontal seismic coefficient (from Eq ${ }^{\mathrm{n}}-2$ ) $\mathrm{W}=$ Seismic weight of building
(It is equal to total dead load plus $50 \%$ of live load).

$$
\begin{aligned}
& =417913.824 \mathrm{KN} \text { (for SET-A building) } \\
& =401321.056 \mathrm{KN} \text { (for SET-B building) }
\end{aligned}
$$

For SET-A building (using static analysis method):
$\mathrm{V}_{\mathrm{b}}$ in $\mathrm{X}-$ dir $^{\mathrm{n}}=0.09 \times 417913.824=37612.244 \mathrm{KN}$
$\mathrm{V}_{\mathrm{b}}$ in $\mathrm{Z}-$ dir $^{\mathrm{n}}=0.076 \times 417913.824=31821.248 \mathrm{KN}$ For SET-B building (using static analysis method): $\mathrm{V}_{\mathrm{b}}$ in $\mathrm{X} \& \mathrm{Z}-$ dir $^{\mathrm{n}}=0.09 \times 401321.056=36118.896 \mathrm{KN}$

### 4.2 Base shear on buildings (using dynamic analysis):

Following are the values of peak story shear obtained by dynamic response spectrum analysis for both the set of buildings in $\mathrm{x} \& \mathrm{z}$ dir ${ }^{\mathrm{n}}$ (table-2).

Table -2: Peak shear on different floors of structures

| Height <br> of <br> floor <br> in (m) | Peak Story Shear in (KN) |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | For SET-A Building | For SET-B Building |  |  |
| 35.0 | 6271.67 | 5033.25 | 5760.54 | 6033.31 |
| 31.5 | 13514.65 | 11305.32 | 13343.80 | 13404.81 |
| 28.0 | 18406.97 | 15567.90 | 18674.53 | 18476.44 |
| 24.5 | 21944.92 | 18373.47 | 22235.27 | 22090.67 |
| 21.0 | 24427.80 | 20500.56 | 24808.96 | 24563.40 |
| 17.5 | 26664.34 | 22416.86 | 27131.70 | 26784.45 |
| 14.0 | 29362.36 | 24549.47 | 29820.50 | 29561.35 |
| 10.5 | 32168.67 | 26964.69 | 32836.88 | 32521.68 |
| 7.0 | 35041.23 | 29520.36 | 35965.32 | 35521.68 |
| 3.5 | 37460.23 | 31498.31 | 38376.58 | 37988.10 |
| 0.0 | $\mathbf{3 8 5 0 0 . 2 8}$ | $\mathbf{3 2 2 7 8}$ |  |  |

Base shear calculated using dynamic response spectrum analysis method (CQC method):
For SET-A building (multiply factor $\frac{V_{b}}{V_{B}}=1.469$ )
$\mathrm{V}_{\mathrm{B}}$ in X -dir ${ }^{\mathrm{n}}=38500.28 \mathrm{KN}$ (Mass participation= 93.892\%)
$\mathrm{V}_{\mathrm{B}}$ in Z-dir ${ }^{\mathrm{n}}=32278.22 \mathrm{KN}$ (Mass participation= 91.266\%)
For SET-B building (multiply factor $\frac{V_{b}}{V_{B}}=1.6567$ ):
$\mathrm{V}_{\mathrm{B}}$ in X-dir${ }^{\mathrm{n}}=39331.18 \mathrm{KN}$ (Mass participation= 92.133\%)
$\mathrm{V}_{\mathrm{B}}$ in Z -dir ${ }^{\mathrm{n}}=39033.47 \mathrm{KN}$ (Mass participation= 93.873\%)
[Check- a. Now $\mathrm{V}_{\mathrm{B}}$ is greater than $\mathrm{V}_{\mathrm{b}}$
b. Sum total of modal masses of all modes (i.e. 50) is more than $90 \%$ of the total seismic mass.]

### 4.3 Mode shape of the structure:

A total 2 no. of mode shapes (out of 15) in response spectrum analysis for both the set of buildings is shown below; (Fig.-8 and fig.-9)


Fig -8: Mode shapes for SET-A building

4.4 Maximum bending moment for beams:

Table -3: Maximum bending moment

| Maximum B.M. in (KN-m) |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Case | Type of <br> building | Beam <br> no. | Load case | Maximum <br> B.M. (Mz) |
| Dynamic <br> Analysis | SET-A | 4610 | Temperature <br> load | 1786.542 |


|  | SET-B | 2382 | Response <br> spectrum | 1354.181 |
| :---: | :---: | :---: | :---: | :---: |
| Static <br> Analysis | SET-A | 3862 | 1.5 (DL+EQX) | 1949.085 |
|  | SET-B | 2404 | 1.5 (DL+EQX) | 1885.856 |

4.5 Maximum shear force for beams:

Table -4: Maximum shear force

| Maximum S.F. in (KN) |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Case | Type of <br> building | Beam <br> no. | Load case | Maximum <br> S.F. (Fy) |  |
| Dynamic <br> Analysis | SET-A | 4610 | Temperature <br> load | 718.991 |  |
|  | SET-B | 3416 | Temperature <br> load | 473.606 |  |
| Static <br> Analysis | SET-A | 4610 | Temperature <br> load | 718.991 |  |
|  | SET-B | 438 | 1.5(DL+EQZ) | 576.688 |  |

### 4.6 Maximum axial force for beams:

Table -5: Maximum axial force
Maximum Axial Force in (KN)

| Maximum Axial Force in (KN) |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Case | Type of <br> building | Beam <br> no. | Load case | Maximum <br> Axial force <br> (Fx) |
| Dynamic <br> Analysis | SET-A | 3840 | Dead load | 3763.135 |
|  | SET-B | 2338 | EQ-Z | 4245.115 |
| Static <br> Analysis | SET-A | 4742 | $1.5($ DL+EQZ) | 8661.391 |
|  | SET-B | 2338 | $1.5($ DL+EQZ) | 10222.763 |

### 4.7 Maximum deflection of the beams:

Deflection diagram for the beam in $Y$ direction for both set of building is shown below; (fig.-10 and fig.-11)


Fig -10: Maximum deflection diagram of beam in local $Y$ dir $^{n}$ (for node no. 1405) for SET-A building

Geometry Property Loading Shear Bending Deflection Concrete Design
Beam № $=2320$


Fig -11: Maximum deflection diagram of beam in local $Y$ dir ${ }^{n}$ (for node no. 1452) for SET-B building

### 4.8 Maximum stresses in plates:

The maximum absolute stresses (fig.-12 and fig.-13) and corner displacements of the plates/slabs (fig.-14 and fig.-15) for response spectrum load case in dynamic analysis for both the set of buildings are shown below;


Fig -12: Maximum absolute stresses in plates for SET-A building


Fig -13: Maximum absolute stresses in plates for SET-B building


Fig -14: Corner displacement for plate (no. 232) of max ${ }^{m}$ principal stress in SET-A building


Fig -15: Corner displacement for plate (no. 3981) of max $^{m}$ principal stress in SET-B building

## 5. CONCRETE DESIGN

### 5.1 Design parameter for beams and columns:

Following are the design parameters used in both the set of buildings: (Here designing is done as per dynamic analysis); Code used= IS 456
Clear cover $=25 \mathrm{~mm}$ (for beams)

$$
=40 \mathrm{~mm} \text { (for columns) }
$$

Grade of concrete $=$ M30
Compressive strength of concrete for (M30); fc $=30 \mathrm{~N} / \mathrm{mm}^{2}$ Grade of steel $=$ fe500
Yield strength of main reinforcement; $\mathrm{F}_{\mathrm{Y}}=500 \mathrm{~N} / \mathrm{mm}^{2}$
Yield strength of shear reinforcement; $F_{Y}=500 \mathrm{~N} / \mathrm{mm}^{2}$
Maximum size of main reinforcement $=25 \mathrm{~mm}$
Maximum size of secondary reinforcement $=20 \mathrm{~mm}$
Minimum size of main reinforcement $=16 \mathrm{~mm}$ Minimum size of secondary reinforcement $=12 \mathrm{~mm}$ Maximum \% of longitudinal reinforcement allowed $=4 \%$

### 5.2 Concrete design of beams:

Reinforcement schedule and cross section for randomly selected beams for the two set of buildings: (table-6)

Table -6: Reinforcement detailing of beams

| Design Results of Beam |  |  |
| :---: | :---: | :---: |
| M30(concrete) Fe500 (Main bar) Fe500 (Secondary bar) Length: 4000 mm Size: $400 \times 450 \mathrm{~mm}$ Cover: 25 mm |  |  |
|  |  |  |
| Schedule of provided reinforced bars |  |  |
| Type of building | SET-A | SET-B |
| Beam no. \& position | 2 (Leftmost corner ground floor beam) | 195 (Leftmost corner ground floor beam) |
| $\begin{gathered} \text { Top } \\ \text { reinforcement } \end{gathered}$ | 7@16mm ф 1 layers | $\begin{gathered} \hline \text { 9@16mm } \phi \\ 1 \text { layer } \end{gathered}$ |
| Bottom reinforcement | $\begin{gathered} \hline \text { 7@16mm } \phi \\ \text { 1 layer } \\ \hline \end{gathered}$ | $\begin{gathered} \hline \text { 4@20mm } \phi \\ 1 \text { layer } \\ \hline \end{gathered}$ |
| Shear reinforcement | 2 legged $12 \mathrm{~mm} \phi$ <br> @190mm c/c | $\begin{gathered} 2 \text { legged } 12 \mathrm{~mm} \phi \\ @ 190 \mathrm{~mm} \mathrm{c} / \mathrm{c} \\ \hline \end{gathered}$ |



Fig -16: L-section and cross-section of beams

### 5.3 Concrete design of columns:

Concrete design results for the columns of maximum axial forces for both the set of buildings: (table-7)

Table -7: Reinforcement detailing of lower columns

|  | Design Results of Column |  |
| :--- | :---: | :--- |
| M30(concrete) | Fe500 (Main bar) | Fe500 (Secondary bar) |


| Length: 3500 mm Size: $850 \times 850 \mathrm{~mm}$ Cover: 40 mm |  |  |
| :---: | :---: | :---: |
| Type of building | SET-A | SET-B |
| Column no. | 3840 | 2338 |
| Type of column | Tension column | Tension column |
| Required steel area | $17918.01 \mathrm{~mm}^{2}$ | $25896.69 \mathrm{~mm}^{2}$ |
| Required concrete area | $704582.12 \mathrm{~mm}^{2}$ | $696603.44 \mathrm{~mm}^{2}$ |
| Main reinforcement provided | $\begin{gathered} 60 @ 20 \mathrm{~mm} \phi \\ =18849.55 \mathrm{~mm}^{2} \text { i.e. } \\ 2.61 \%, \text { between } \\ 0.8 \% \text { to } 6 \% \text { of cross } \\ \text { section area) } \\ \hline \end{gathered}$ | $\begin{gathered} 56 @ 25 \mathrm{~mm} \phi \\ =27488.94 \mathrm{~mm}^{2} \text { (i.e. } \\ 3.80 \%, \text { between } 0.8 \% \\ \text { to } 6 \% \text { of cross section } \\ \text { area) } \end{gathered}$ |
| Tie reinforcement | $12 \mathrm{~mm} \phi$ rectangular ties @ 300 mm c/c | $12 \mathrm{~mm} \phi$ rectangular ties @300mm c/c |
| Axial force | $\mathrm{P}_{\mathrm{Uz}}=16567.87 \mathrm{KN}$ | $\mathrm{P}_{\mathrm{Uz}}=19691.01 \mathrm{KN}$ |


| Worst load <br> case | 6 (i.e. response <br> spectrum load) | 6 (i.e. response <br> spectrum load) |
| :---: | :---: | :---: |
| Interaction <br> ratio | 0.85 | 0.62 |

Beam no. $=3399$ Design code : IS-456
M30(concrete) Fe500 (Main bar) Fe500 (Secondary bar)
Length: 3500 mm Size: $600 \times 600 \mathrm{~mm}$ Cover: 40 mm


Fig -17: Cross section of upper $600 \times 600 \mathrm{~mm}$ column

### 5.4 Required quantity of concrete $\&$ reinforced steel:

Quantity of concrete \& reinforced bar required for beams and columns for both the sets of buildings:
Total volume of concrete for SET-A building $=4347.4 \mathrm{~m}^{3}$
Total volume of concrete for SET-B building $=4174.6 \mathrm{~m}^{3}$
Table -8: Quantity of reinforcing steel

| Bar Dia. (in <br> mm) | Weight (in N) |  |
| :---: | :---: | :---: |
|  | For SET-A building | For SET-B building |
| 12 | 1027864 | 988739 |
| 16 | 2182065 | 2243732 |
| 20 | 1971911 | 1896420 |
| 25 | 508201 | 887083 |
| Total | 5690040 | 6015974 |

## 6. CONCLUSIONS

I) Base shear for SET-B building is more than SET-A in dynamic analysis and for both the set of buildings base shear in X -dir ${ }^{\mathrm{n}}$ is more than in Z -dir ${ }^{\mathrm{n}}$.
II) For SET-A building lateral loads in X-dir ${ }^{n}$ are more than SET-B and at a height of 31.5 m , load is max ${ }^{\mathrm{m}}$ for both the set of buildings in both $\mathrm{X} \& \mathrm{Z}$ dir ${ }^{\mathrm{n}}$.
III) Maximum shear force \& bending moment occur on beam of SET-A building and max ${ }^{m}$ axial forces occur on SET-B building.
IV) For SET-A building temperature load is responsible for max $^{m}$ bending moment, shear force of beams and max ${ }^{m}$ principal stresses at top and bottom of plates.
V) For SET-B building response spectrum load is responsible for max ${ }^{m}$ bending moment of beam and max ${ }^{m}$ principal stresses at top and temperature load is for max ${ }^{m}$ shear force. VI) Maximum absolute stress for slabs occur in SET-B building due to response spectrum load case.
VII) Maximum shear stress and moment occur on slabs of SET-B building due to response spectrum load case.
VIII) SET-A symmetric building required more volume of concrete and less reinforcement as compared to SET-B asymmetric building.

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