

# “A Family of Single Stage Buck Boost Inverter for PV Application.”

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**Abstract**— A buck-boost ac-ac converter with inverting and non-inverting operations is proposed. The non-inverting operation activity can be utilized to remunerate voltage hang, and altering activity can be utilized to repay voltage swell. Along these lines, the proposed converter as a unique voltage restorer is equipped for making up for both voltage hang and swell in a wide range. It’s essential exchanging cell is a unidirectional buck circuit, inferable from which it has no shoot-through concerns. It accomplishes safe substitution without utilizing RC snubbers or delicate recompense techniques. Further, it tends to be actualized with power MOSFETs without their body diodes directing, and for current freewheeling outside diodes of good converse recuperation highlights can be utilized to limit the opposite recuperation issues and significant.

**Keywords**—Buck-Boost Conveter, CCM, DCM, SM Controller Photovoltaic, Hysteretic Controller, MATLAB.

## I. INTRODUCTION

For development of intensity quality utilizing DVR, the converter which are commonly utilized are the dc-air conditioning power changes by utilizing thyristor power regulators, which utilize the stage point or fundamental cycle control on input dc voltage, to get the ideal yield air conditioning voltage. Notwithstanding, the conspicuous hindrances of thyristor regulators, for example, low force factor, enormous all out consonant bending in source current and lower proficiency, have restricted their utilization. In this paper, a novel double buck-help air conditioning air conditioning converter is proposed. It joined the tasks of non-altering buck and upsetting buck-support converters in a single structure. Like the buck converter, it has a non-altering buck activity, and like a transforming buck-support converter, it has an upsetting buck-help activity. Also, it has an additional activity, wherein the yield voltage higher or lower than the info voltage that is in-eliminate or of-stage with the information voltage can be acquired. Accordingly, the proposed converter can repay both voltage list and swell when utilized in a DVR.

The fundamental unit of the proposed converter is a unidirectional buck circuit; hence it has no short out and open-circuit issues. It has no recompense issues, and doesn’t need lossy snubbers and additionally delicate

replacement techniques for activity. Further, it can use MOSFETs without their body diodes directing and without invert recuperation issues and important misfortunes. A buck-help air conditioning air conditioning converter with modifying and non-transforming tasks is proposed. It repays both the voltage hang and swell when utilized as a unique voltage restorer. Its essential exchanging cell is a unidirectional buck circuit, attributable to which it has no shoot-through concerns. It accomplishes safe recompense without utilizing RC snubbers or delicate substitution procedures. Further, it very well may be executed with power MOSFETs without their body diodes leading, and for current freewheeling outside diodes of good opposite recuperation highlights can be utilized to limit the converse recuperation issues and applicable misfortune. The itemized hypothetical investigation and exploratory consequences of a 300-W model converter are given

## II. THE DC-DC BUCK -BOOST CONVERTER

The BUCK -BOOST converter circuit converts a higher dc input voltage to lower dc output voltage. The basic BUCK -BOOST dc-dc converter topology is shown in fig 1. It consists of a controlled switch  $S_w$ , an uncontrolled switch  $D$  (diode), an inductor  $L$ , a capacitor  $C$ , and a load resistance  $R$ .

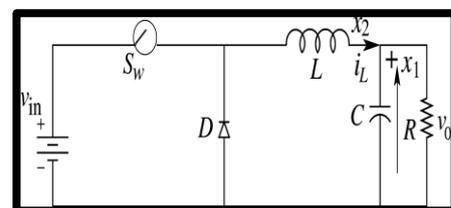


Fig.1 Dc-Dc BUCK -BOOST Converter Topology

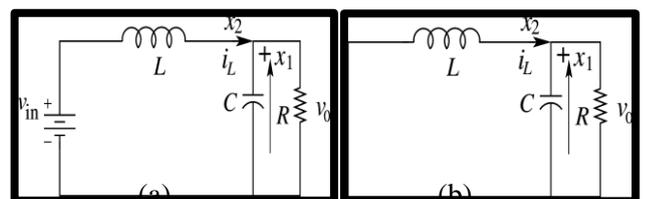


Fig.2 BUCK -BOOST converter circuit when switch: (a) turns on (b) turns off

In the description of converter operation, it is assumed that all the components are ideal and also the converter operates in CCM. In CCM operation, the inductor current flows continuously over one switching period. The switch is either on or off according to the switching function  $q$  and this results in two circuit states. The first sub-circuit state is when the switch is turned on, diode is reverse biased and inductor current flows through the switch, which can be shown in figure 2(a). The second sub-circuit state is when the switch is turned off and current freewheels through the diode, which is shown figure 2(b).

When the switch  $S_1$  is on and  $D$  is reverse biased, the dynamics of inductor current  $i_L$  and the capacitor voltage  $v_c$  are

$$\frac{di_L}{dt} = \frac{1}{L} v_{in} - v_0 \ \& \ \frac{dv_0}{dt} = \frac{dv_C}{dt} = \frac{1}{C} i_C$$

When the switch  $S_1$  is on and  $D$  is forward biased, the dynamics of the circuit are

$$\frac{di_L}{dt} = -\frac{1}{L} v_0 \ \& \ \frac{dv_0}{dt} = \frac{dv_C}{dt} = \frac{1}{C} i_C$$

When switch  $S_1$  is off and  $D$  is also not conducting,

$$\frac{di_L}{dt} = 0 \ \& \ \frac{dv_0}{dt} = \frac{dv_C}{dt} = \frac{1}{C} i_C$$

The state space representation for converter circuit configuration can be expressed as

$$\frac{dx}{dt} = \begin{cases} A_1x + B_1U; \text{ when } S \text{ is closed,} \\ A_2x + B_2U; \text{ when } S \text{ is opened.} \end{cases}$$

Where  $x = [x_1 \ x_2]^T = [v \ i_C]^T$  is the state vector and  $A$ 's and  $B$ 's are the system matrices.

The state matrices and the input vectors for the ON and OFF periods are

$$A_1 = A_2 = \begin{bmatrix} -\frac{1}{RC} & \frac{1}{C} \\ -\frac{1}{L} & 0 \end{bmatrix}, \quad B_1 = \begin{bmatrix} 0 \\ 1 \\ L \end{bmatrix}, \quad B_2 = \begin{bmatrix} 0 \\ 0 \end{bmatrix}$$

and  $U = V_{in} \ 0$ .

### A. Modes of Operation

The operation of ac-ac converters can be classified by the continuity of inductor current flow. So dc-dc converter has two different modes of operation that are (a)

Continuous conduction mode (CCM) and (b) Discontinuous conduction mode (DCM). A converter can be design in any mode of operation according to the requirement.

#### a) Continuous Conduction Mode

When the inductor current flow is continuous of charge and discharge during a switching period, it is called Continuous Conduction Mode (CCM) of operation shown in fig 3(a). The converter operating in CCM delivers larger current than in DCM. In CCM, each switching cycle  $T_s$  consists of two parts that is  $D_1T_s$  and  $D_2T_s$  ( $D_1 + D_2 = 1$ ). During  $D_1T_s$ , inductor current increases linearly and then in  $D_2T_s$  it ramps down that is decreases linearly.

#### b) Discontinuous Conduction Mode

An When the inductor current has an interval of time staying at zero with no charge and discharge then it is said to be working in Discontinuous Conduction Mode (DCM) operation and the waveform of inductor current is illustrated in fig 3(c). At lighter load currents, converter operates in DCM. The regulated output voltage in DCM does not have a linear relationship with the input voltage as in CCM. In DCM, each switching cycle is divided into of three parts that is  $D_1T_s$ ,  $D_2T_s$  and  $D_3T_s$  ( $D_1 + D_2 + D_3 = 1$ ). During the third mode i.e. in  $D_3T_s$ , inductor current stays at zero.

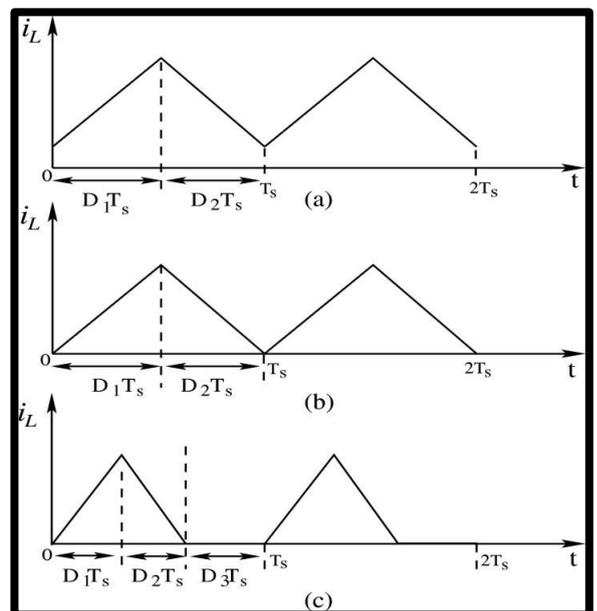


Fig.3 Inductor current waveform of PWM converter (a) CCM (b) boundary of CCM and DCM (c) DCM

**B. Control methods for Dc-Dc BUCK -BOOST Converter of Operation**

Voltage-mode control and Current-mode control are two commonly used control schemes to regulate the output voltage of ac-ac converters. Both control schemes have been widely used in low-voltage low-power switch-mode ac-ac converters integrated circuit design in industry. Feedback loop method automatically maintains a precise output voltage regardless of variation in input voltage and load conditions.

**a) Voltage- mode Controlled BUCK -BOOST Converter**

The voltage feedback arrangement is known as voltage-mode control when applied to ac-ac converters. Voltage-mode control (VMC) is widely used because it is easy to design and implement, and has good community to disturbances at the references input. VMC only contains single feedback loop from the output voltage. There is some Mode's which is given below, from which we can able to understand the working of system.

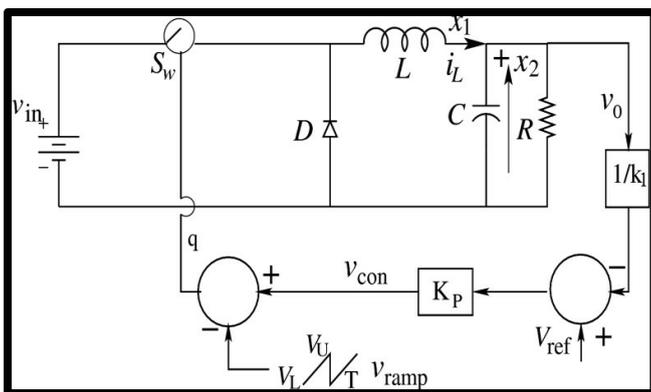


Fig.4 Block diagram of voltage mode controller

The voltage mode controlled BUCK -BOOST converter circuit is shown in fig. 4. It consists of a controlled switch Sw (MOSFET), an uncontrolled switch diode D (diode), an inductor L, a capacitor C, and a load resistance R. The circuit shown in fig. 4 is a non-smooth dynamical system described by two sets of differential equations:

$$\frac{di_L}{dt} = \begin{cases} \frac{v_{in}-v_0}{L}, & s_w \text{ is conducting} \\ \frac{-v_0}{L}, & s_w \text{ is blocking} \end{cases}$$

$$\text{And } \frac{dv_0}{dt} = \frac{i_L - \frac{v_0}{R}}{C}$$

The switch is controlled by analog PWM feedback logic. This is achieved by obtaining a control voltage v\_con as function of the output capacitor voltage v\_C and a reference signal V\_ref in the form,

$$v_{con} = k_p \left( V_{ref} - \frac{v_0}{k_1} \right)$$

Where, k\_p is the gain of proportional controller and k\_1 is the factor of reduction of the output voltage v\_0. An externally generated saw-tooth voltage defined as v\_ramp (t) is used to determine the switching instants.

$$V_{ramp}(t) = V_L + (V_U - V_L) F \left( \frac{t}{T_s} \right)$$

Where T\_s is the time period and V\_U and V\_L are upper and lower threshold voltages respectively. Here F (x) denotes the fractional part of x: F (x) = x mod 1. In voltage mode control, the controlled voltage v\_con is then compared with the periodic saw-tooth wave V\_ramp, to generate the switching signal q is described by

$$\begin{aligned} \text{IF } V_{ramp} < V_{con}; q &= 1 \\ \text{IF } V_{ramp} > V_{con}; q &= 0 \end{aligned}$$

The inductor current increases while the switch Sw is on i.e q=1 and falls while the switch S is off i.e. q=0.

If the current reaches zero value before the next clock cycle, the operation is said to be in DCM, else it is in CCM. The state equation that describes the dynamics of the BUCK -BOOST converter can be written as

$$\frac{dx}{dt} = \begin{cases} A_1x + B_1U; & (k_p x_1 - V_{ref}) < V_{ref} \\ A_2x + B_2U; & (k_p x_1 - V_{ref}) > V_{ref} \end{cases}$$

Where x = [x\_1 x\_2]T = [v i]T is the state vector and A's and B's are the system matrices. The state matrices and the input vectors of the converter are given by

$$A_1 = A_2 = \begin{bmatrix} -\frac{1}{RC} & \frac{1}{C} \\ -\frac{1}{L} & 0 \end{bmatrix}, \quad B_1 = \begin{bmatrix} 0 \\ 1 \\ L \end{bmatrix}, \quad B_2 = \begin{bmatrix} 0 \\ 0 \end{bmatrix}$$

and U = V\_in.0.

The switching hypersurface ( $h$ ) can be written as

$$h = x_1 - V_{ref} - \frac{v_{ramp}}{k_p} = 0, k_p \neq 0$$

For discontinuous conduction mode, inductor current reaches zero before the next clock cycle. In this case, the state equation of the converter can be written as

$$\begin{bmatrix} \dot{x}_1 \\ \dot{x}_2 \end{bmatrix} = \begin{bmatrix} -\frac{1}{RC} & 0 \\ 0 & 0 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \end{bmatrix}$$

However, VMC have a few disadvantages. Any change in input voltage will alter the gain and influence the system dynamics behavior. VMC cannot correct any disturbance immediately until it is detected at the output since the disturbances are delayed in phase by the inductor and capacitor prior to the output.

**b) Current-mode Controlled BUCK - BOOST Converter**

Another control scheme that is widely used for ac-ac converters is current mode control. Current-mode controlled ac-ac converters usually have two feedback loops: a current feedback loop and a voltage feedback loop. The inductor current is used as a feedback state.

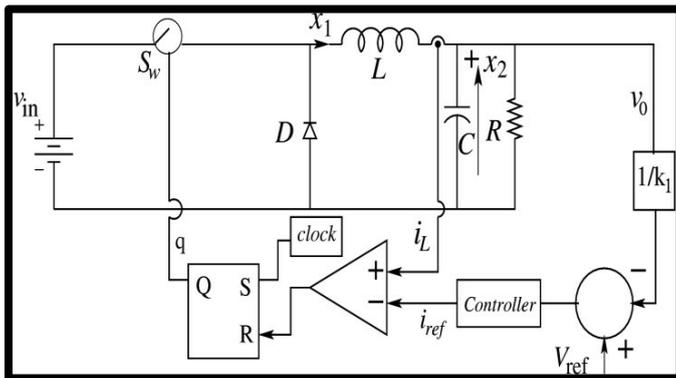


Fig.5 Current -mode controlled dc-dc BUCK -BOOST converter

A current mode controlled dc-dc BUCK -BOOST converter circuit is shown in fig. 5. At the beginning of a switching cycle, the clock signal sets the flip-flop ( $q=1$ ), turning on the (MOSFET) switch. The switch current, which is equal to the inductor current during this interval, increases linearly. The inductor current  $i_L$  is compared with the control signal  $i_{ref}$  from the controller. When  $i_L$  is slightly greater than  $i_{ref}$ , the output of the comparator goes high and resets the flip-flop ( $q=0$ ), thereby turning off the switch. The

switch will be turned on again by the next clock signal and the same process repeated.

The BUCK -BOOST converter circuit operates at continuous conduction mode. Depending on the state of the switch, there are two circuit configurations, which are described by the following differential equations:

$$\frac{di_L}{dt} = \begin{cases} \frac{v_{in}-v_0}{L}, & S_w \text{ is conducting} \\ \frac{-v_0}{L}, & S_w \text{ is blocking} \end{cases}$$

$$\text{And } \frac{dv_0}{dt} = \frac{i_L - \frac{v_0}{R}}{C}$$

If the switch position is expressed with the switching function  $q$ , then

$$a = \begin{cases} 1, & S_w \text{ Closed} \\ 0, & S_w \text{ Opened} \end{cases}$$

The control input signal is proportional to reference current  $i_{ref}$ . The reference current  $i_{ref}$  is a function of output of the controller to regulate the output voltage. The control voltage can be defined as,

$$v_{con} = k_p \left( V_{ref} - \frac{v_0}{k_1} \right) \text{ For P controller}$$

And

$$v_{con} = k_p \left( V_{ref} \frac{v_0}{k} \right) + k_1 \int \left( V_{ref} \frac{v_0}{k} \right) dt, \text{ For Pi Controller}$$

Hence the reference current can be written as  $i_{ref} = \frac{v_{con}}{R_f}$ , Where  $R_f$  is a proportionality factor. The voltage waveforms are scaled to equivalent current waveforms by the proportionality factor  $R_f$ . The state equation that describes the dynamics of the BUCK -BOOST converter can be written as

$$\frac{dx}{dt} = \begin{cases} A_1x + B_1U; & \text{when } S \text{ is closed,} \\ A_2x + B_2U; & \text{when } S \text{ is opened.} \end{cases}$$

Where  $x = [x_1 x_2]^T = [v \ i]^T$  is the state vector and  $A$ 's and  $B$ 's are the system matrices. The state matrices and the input vectors of the ON and OFF periods are

$$A_1 = A_2 = \begin{bmatrix} -\frac{1}{RC} & \frac{1}{C} \\ -\frac{1}{L} & 0 \end{bmatrix}, \quad B_1 = \begin{bmatrix} 0 \\ 1 \\ L \end{bmatrix}, \quad B_2 = \begin{bmatrix} 0 \\ 0 \end{bmatrix}$$

and  $U = V_{in} \cdot 0$ .

### III. VARIABLE SWITCHING FREQUENCY HYSTERETIC CONTROLLERS

In this section, the basic ideas about the hysteretic controlled converters with variable switching frequency are described. As shown in Fig. 6, the voltage hysteretic controller regulates the output voltage ripple within the hysteretic band. Similarly, a current hysteretic controller directly regulates the inductor current of the converter by regulating the inductor ripple or a scaled version of it within the hysteretic band.

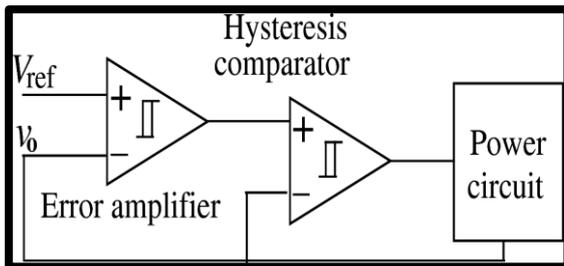


Fig.6 Voltage Hysteresis Control

#### A. Hysteretic Voltage-Mode Controller

Hysteretic voltage-mode control is the simplest control method available. The concept of operation is very simple. The switch is turned on, when the output voltage falls below minimum set point (i.e., lower boundary) and turns off when output voltage is higher than maximum set point (i.e., upper boundary). Since the controller does not use a compensation network, the converter is able to react quickly to a transient event making it seem like a perfect solution for voltage regulator modules. However, the drawback of the voltage-mode hysteretic controller is its reliance on the converters output capacitor parasitic. A block diagram of voltage hysteretic controlled converter is illustrated in Fig 6.

#### B. Hysteretic Current-Mode Controller

Hysteretic current-mode control functions by controlling both the peak inductor current and the valley inductor current. It does not require an external oscillator or saw-tooth generator for operation and it has the ability to provide a fast response to a transient event. Fig. 7 illustrates a block diagram of a current-mode hysteretic controlled dc-dc converter.

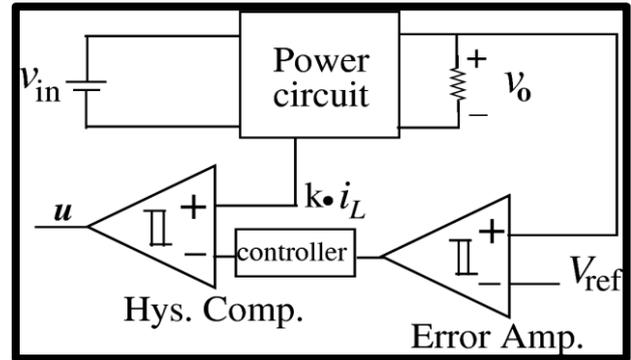


Fig.7 Hysteretic CM controlled BUCK -BOOST

Converter The power converter circuit with feedback control generally consists of:

1. A power stage with switches  $S_w$  and  $D$ , and storage elements  $L$  and  $C$ ,
2. An inner controller preserving the converter's working principle by switching the circuit topology,
3. An outer controller adjusting the inner loop's reference in response to deviations from the desired output.

### IV. SIMULATION RESULT

Description this plot indicates the state of charge of the PV with respect to current and voltage as the SOC increases and becomes stable the voltage value also becomes stable

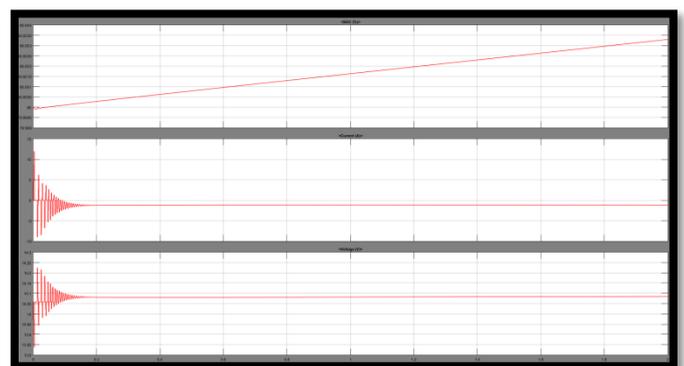


Fig.8 Output SOC, Voltage and Current

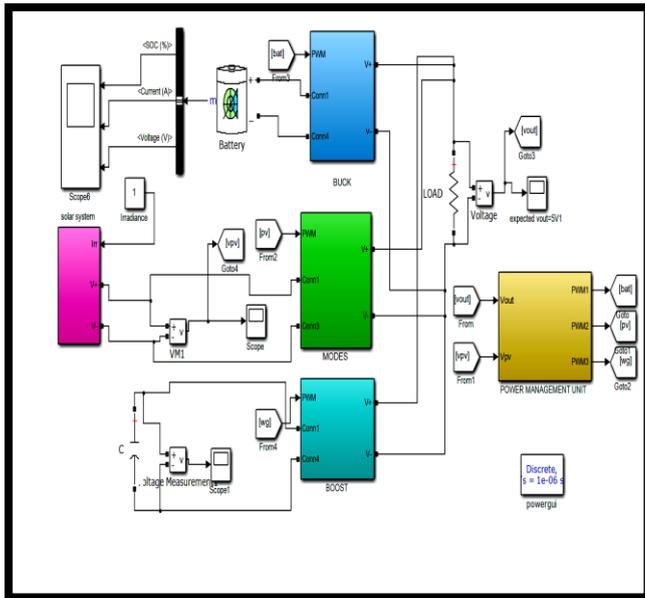


Fig.9 Simulation Model of the Proposed Work

## V. CONCLUSION

Study of the PWM voltage mode manages, PWM present day mode manages and their operation has been given. The blessings and disadvantages of each manipulate technique whilst applied in switched-mode power converters are proven.

The evaluation and the theories of SM manage had been given in details. SM control implemented in dc-dc BUCK -BOOST converter is offered. Then a comparative evaluation on conventional PWM controllers and SM control has been performed. The simulated end result showed the pleasurable theories of SM control. The blessings of SM manage over other control methods are described.

The primary idea of operation of tristate greenback converter has been studied. The implementation of fixed frequency hysteretic modern control to the tristate greenback converter has been given. The output voltage, main inductor contemporary waveforms had been studied in constant-nation vicinity and in dynamic place

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